

# Least Cost and Accurate Estimation of Shortest Path in Large Graph

D Dhayalan<sup>1</sup> | K Kanimozhi<sup>2</sup>

<sup>1</sup>(Assistant Professor, Department of MCA, Vel Tech High Tech Dr. Rangarajan Dr. Sakunthala Engineering College, Chennai, India, dhayalan@velhightech.com)

<sup>2</sup>(PG Scholar- Department of MCA, Vel Tech High Tech Dr. Rangarajan Dr. Sakunthala Engineering College, Chennai, India, kanima.km@gmail.com)

**Abstract**— Shortest path is a fundamental operation in large-area networks. All methods take area scheme; it selects specific graph nodes as landmark and finding the shortest path from each node. In existing answer we can find out the fast and exact shortest path between two nodes. In this paper, we propose a using bellman-fords algorithm it can solves the shortest path length from the source to all other nodes or determines that a negative cycle exists. It can also find out the minimum cost we build our network and it also find out the minimum path weight. However, it cannot find the shortest path if there is a negative cycle exists.

**Keywords**— landmark approach, RDF graphs processor, query optimization, shortest path approximation, social networks

## 1. INTRODUCTION

Graphs are mainly used in today's modern world such as online social networks (like facebook, linkedIn) synthesized identity relationships in large-scale networks, transportation networks, the huge hyperlink graph between documents of the world wide web, xml data etc. Due to increasing size of graphs many appearing straightforward operations become challenging. In this paper, finding to compute the shortest path between source to destination in the graph and a minimize the cost we build our network. It also can maximize the performance the system and find the minimum path weight. Social networks such as facebook. A person would seek a shortest path to reach a person, starting from his friends. Biological networks model the complex chemical processes within an organism. A biologist may be identifying biotransformation paths between metabolites to help in designing experiments in wet lab. Similar applications arise for almost every instance of graph data, which include common problem of finding shortest route between two nodes in road networks, in many cases, the graph is comprise millions of nodes and edges. Each of shortest path queries has to reply as fast as possible while minimizing the cost we build our network between two nodes.

## 2. ALGORITHM DESCRIPTION

In this view we describe our algorithms for shortest path exact in detail.

### A. Preliminaries

Let  $G = (V, E)$  time, where  $|V|$  and  $|E|$  are the number of vertices and edges respectively. Path and distances: a path  $p$  of length  $l \in \mathbb{N}$  in the graph in ordered sequence of  $l+1$  vertices there exists, for every vertex in sequence, an edge to its subsequent vertex, except the last one;

$$P = (v_1, v_2, \dots, v_{l+1}) \text{ with } v_i \in V, 1 \leq l+1 \quad (1)$$

$$(v_i, v_{i+1}) \in E, 1 \leq i < l+1. \quad (2)$$

For a node  $v \in V$  of the graph we consider by  $S(v)$  the set of the  $v$  in  $G$ , that is the these set of vertices  $w \in V$  with  $(v, w) \in E$ . thus, we can display requirement (2) equivalently as  $v_{i+1} \in S(v_i), 1 \leq i < l$ . We consider  $|p|=l$  to denote the length of the path  $p$ . if the vertices  $u, v \in V$ , let  $P(u, v)$  be the set of all nodes that start in  $u$  and in  $v$ . the distance from  $u$  to  $v$ , consider by  $\text{dist}(u, v)$  is the number of edges in the shortest such node.

$$\text{dist}(u, v) := \{ \arg \min_{p \in P(u, v)} |p| \} \quad P(u, v) \neq \emptyset \quad (3)$$

### B. Sketch Algorithm

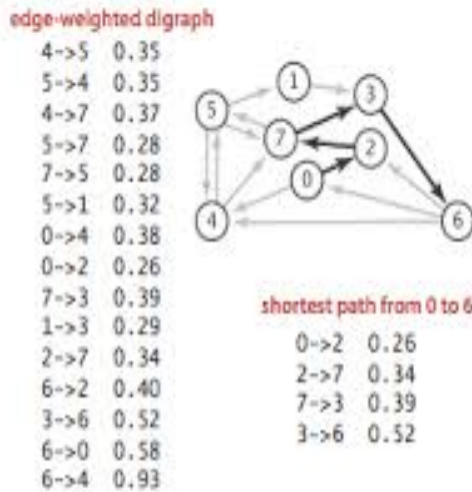
The sketch algorithm is used to approximate the shortest path between nodes in a graph using a landmark-based approach. The algorithm consists of two stages. 1. Precomputation and 2. shortest path approximation. Precomputation is used to generate the sketches distances from all vertices. It is also used to provide a very fast approximation distance in query time

**B.1 . Shortest Path Computation:** For each of the sampled sets  $S$ , and every node  $v \in V$  we compute a shortest path  $p_{S \rightarrow v}$  that connects any number of set to  $v$ . for every node  $v$ , we thus obtain the closest node, consider by  $l_1$ . The nodes  $l_1, l_2$  is called areas of  $S_i$  for the vertex.

**B.2 Precomputation :** In this step consists of calculate the every node in the graph in shortest path and it store to the set the path in external memory.

**B.3 Tree Algorithm:** In this view we describe our third method, a new algorithm for shortest path approximation that also uses the recomputed sketches. The sketch  $(v)$  of a node  $v$  contains two sets of paths (1) the set of paths connecting  $v$  to landmarks and (2) the set of paths connecting landmarks to  $v$ . in the undirected setting, both sets would correspond to trees having

**B.4 shortest path approximation**



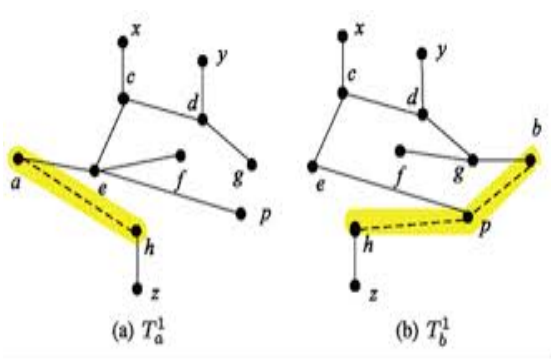
An edge-weighted digraph and a shortest path

In second stage, the algorithm receives a pair of nodes, as input. In real time, a path  $p_{s,p_{s-d}}$  from  $s$  to  $d$  it provides a good approximation of the shortest path.

**B.5 Improving the accuracy**

In this view, we propose an online local search technique that performs a limited scope local search on the graph and find a shortest path with a similar distance that based on local landmark scheme. Landmarks as leaves and  $v$  as a root. Our new algorithm proposed named TREESKETCH takes the two query nodes  $s, d$  as input, loads the sketches  $sketch(s), sketch(d)$  from disk and constructs the tree  $T_x$ , rooted at  $d$ , containing all the backward directed paths from the areas to  $d$  is being created from sketch  $(d)$ . For every vertex  $u \in V_{BFS}$  unpleasant during  $BFS(T_x, s)$ , the algorithm loads the list  $S(v)$  of its successors in the original graph. We have found a path from  $s$  to  $d$ , given by

$$P = P_{x \rightarrow u} \circ (u, v) \circ P_{v \rightarrow d} \tag{4}$$



**3. IMPLEMENTATION**

We implemented all methods –bellman online shortest path algorithm as well as sketch-based techniques, a recently proposed high performance database system for querying large graph repositories.

**A. RDF-3X: RDF Graph Processor**

It is fully functional, high performance storage engine and query processor designed particularly for storing as the name suggests-RDF and querying using SPARQL. It maintains the whole graph as a huge triples table in contrast favored properly-table approach

**A.1. Bellman-ford algorithm**

Implementing bellman-ford algorithm over RDF basically involves openings a scan on the SPO index to determine, for each node visited during the execution of the algorithm.

**B. Sketch algorithm**

We store the sketches also as RDF triples in a separate database under RDF-3X. Since sketches are associated with path, we format them as follows:

$$(v_i)([to|from])(l_{ij}; d_{vj}) \tag{5}$$

Where  $v_i$  is source node,  $to$  and  $from$  are string literals indicate the original of the path  $L_{ij}$  is the area for node  $v_i$  from the seed-set  $S_j$  and  $D_{vj}$  is corresponding shortest path to area.

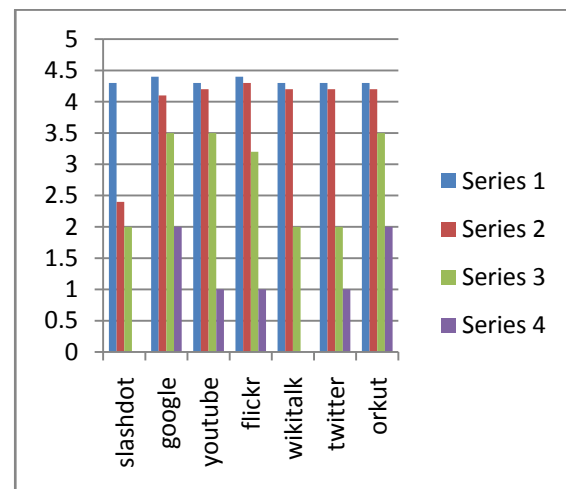
**4. EXPERIMENTAL EVALUATION**

We provide an experimental evaluation of algorithms. First we can give an overview of datasets used in algorithm. In later we describe the generation of test. The approximation is described in different sections.

**A. Datasets**

Our approach by a number of activities on the following today’s world network:

YouTube- In 2007 crawls of the social network consisting 1 million users of the video-sharing community YouTube. Twitter- it is the part of social network of the micro blogging community twitter, crawl in 2009. Orkut- it is the “pure” network orkut, consists more than 3 million users. This network exhibits a very high average.



**B. Methodology**

To verify the approximate quality and running times of our algorithms, we use a set of test triples of the form of these nodes in the graph.

$$(X, y, \text{dist}(x, y)), \quad (6)$$

Consisting a pair of nodes  $x, y \in V$  and the actual distance  $\text{dist}(x, y)$  of these nodes in the graph.

## 5. CONCLUSION

In this paper, we have accurate algorithms for the approximation of shortest paths, and time complexity is best time bound for single source shortest path problem. We minimize the cost we build our network and also find the minimum path weight. Our algorithms have been implemented within the proposed high-performance RDF storage. We have conducted a large number of exercises that prove our algorithms in term of speed and quality.

## REFERENCES

- [1] U. Zwick. Exact and Approximate Distances in Graphs – A Survey. In *ESA'01: Proceeding of the 9th Annual European Symposium on Algorithms*, Lecture Notes in Computer Science 2161/2001. Springer, 2001.
- [2] M. Thorup and U. Zwick. Approximate Distance Oracles. In *STOC'01: Proceedings of the 33rd Annual ACM Symposium on Theory of Computing*, pages 183–192. ACM, 2001.
- [3] H.Bast, S. Funke, D. Mattijevic, P. Sanders and D. Schulte's. In Transit to Constant Time Shortest-Path Queries in Road Networks. In *ALLENEX'07: Proceedings of the 2007 SIAM Workshop on Algorithm Engineering and experiments*.
- [4] E. Cohen, E. Halperin, H.Kalplan, and U. Zwick, Reach ability and Distance Queries via 2-Hop Labels.
- [5] T. H. Cormen, C.E. Leisercon, R.L. Rivest, and C.stein. Introduction to Algorithms.MIT Press, 3rdedition,2009
- [6] Trißl and U. Leser. Fast and Practical Indexing and Querying of Very Large Graphs. In *SIGMOD'07: Proceedings of the 2007 ACM SIGMOD Intl. Conf. on Management of Data*, pages 845–856. ACM, 2007.
- [7] F. B. Zhan and C. E. Noon. Shortest Path Algorithms: An Evaluation using Real Road Networks. *Transportation Science*, 32(1):65–73, 1998.
- [8] M. Potamias, F. Bonchi, C. Castillo, and A. Gionis. Fast Shortest Path Distance Estimation in Large Networks. In *CIKM'09: Proceedings of the 18th ACM Conference on Information and Knowledge Management*, pages 867–876. ACM, 2009.
- [9] A. Mislove, M. Marcon, K. P. Gummadi, P. Druschel, and B. Bhattacharjee Measurement and Analysis of Online Social Networks. In *SIGCOMM'07: Proceedings of the 7th ACM SIGCOMM Conference on Internet Measurement*, pages 29–42. ACM, 2007.
- [10] J. Leskovec, K. J. Lang, A. Dasgupta, and M. W.Mahoney. Community Structure in Large Networks:Natural Cluster Sizes and the Absence of Large Well-Defined Clusters. *ArXiv: 0810.1355v1*, October2008